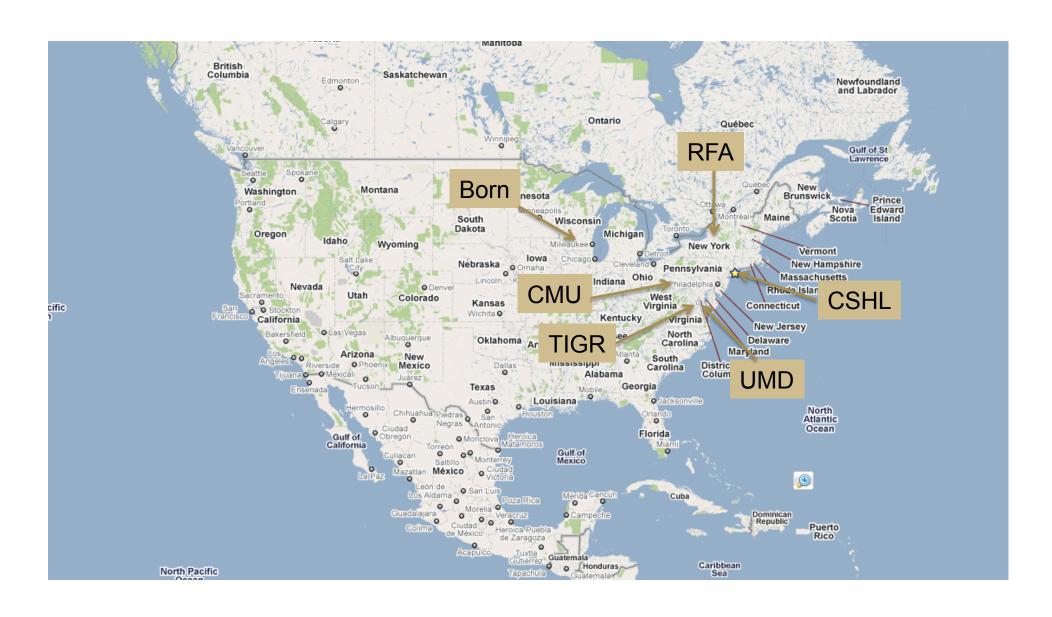
Michael Schatz

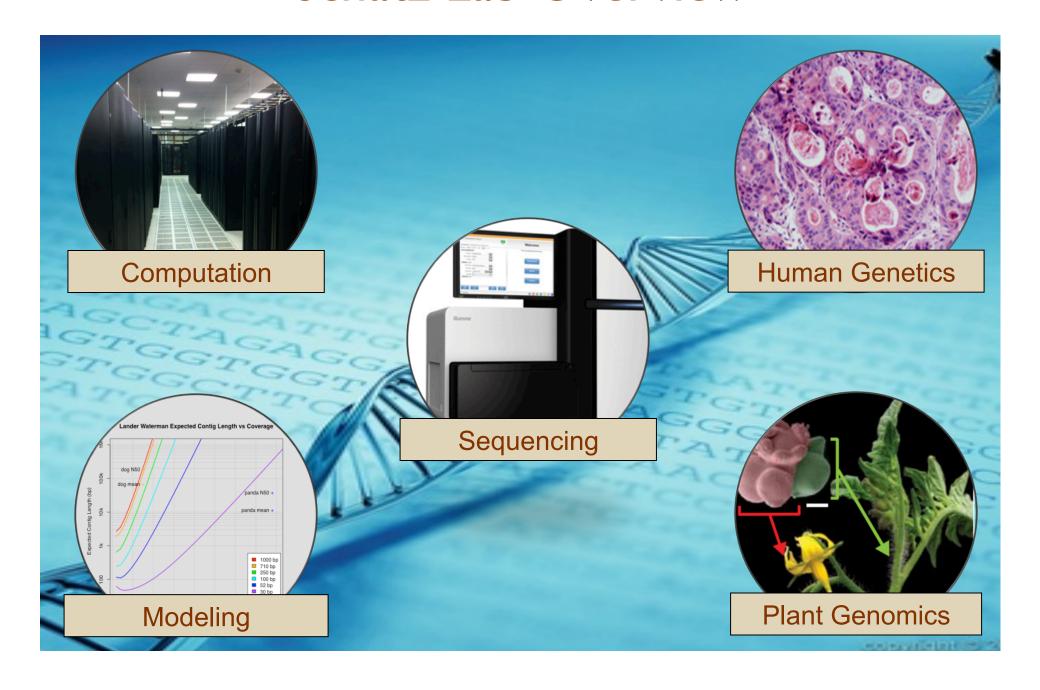
Bioinformatics Lecture I Undergraduate Research Program 2013



A Little About Me



Schatz Lab Overview



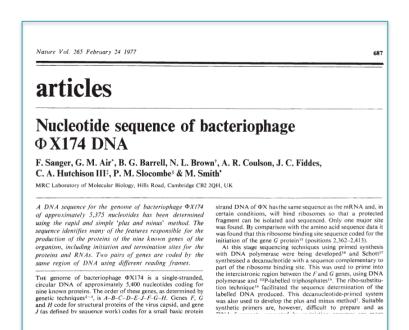


Outline

- I. Rise of DNA Sequencing
- 2. Sequence Alignment Basics

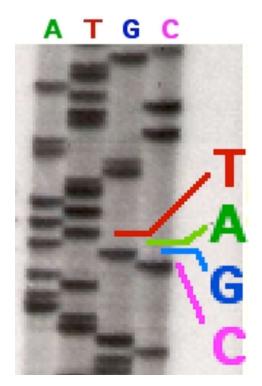
- 3. Understanding Bowtie
- 4. Genetics of Autism

Milestones in Molecular Biology



1977

Ist Complete Organism Bacteriophage $\phi \times 174$ 5375 bp



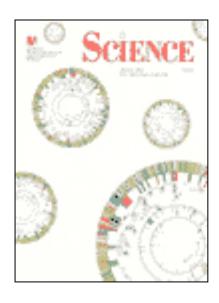
Radioactive Chain Termination 5000bp / week / person

http://en.wikipedia.org/wiki/File:Sequencing.jpg http://www.answers.com/topic/automated-sequencer

Nucleotide sequence of bacteriophage $\phi XI74$ DNA

Sanger, F. et al. (1977) Nature. 265: 687 - 695

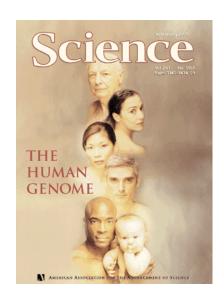
Milestones in Molecular Biology



I 995
Fleischmann et al.
Ist Free Living Organism
TIGR Assembler. I.8Mbp



2000 Myers et al. Ist Large WGS Assembly. Celera Assembler. I 16 Mbp



Venter et al. / IHGSC Human Genome Celera Assembler. 2.9 Gbp

ABI 3700: 500 bp reads \times 768 samples / day = 384,000 bp / day. "The machine was so revolutionary that it could decode in a single day the same amount of genetic material that most DNA labs could produce in a year." J. Craig Venter

Milestones in Molecular Biology





454/Roche
Pyrosequencing
Current Specs (Titanium):
IM 400bp reads / run =
IGbp / day



2007

Illumina
Sequencing by Synthesis
Current Specs (HiSeq 2000):
2.5B 100bp reads / run =
60Gbp / day



2011

PacBio

SMRT Sequencing

Current Specs (RS 2):

3kbp-20kbp reads

~IGbp / day

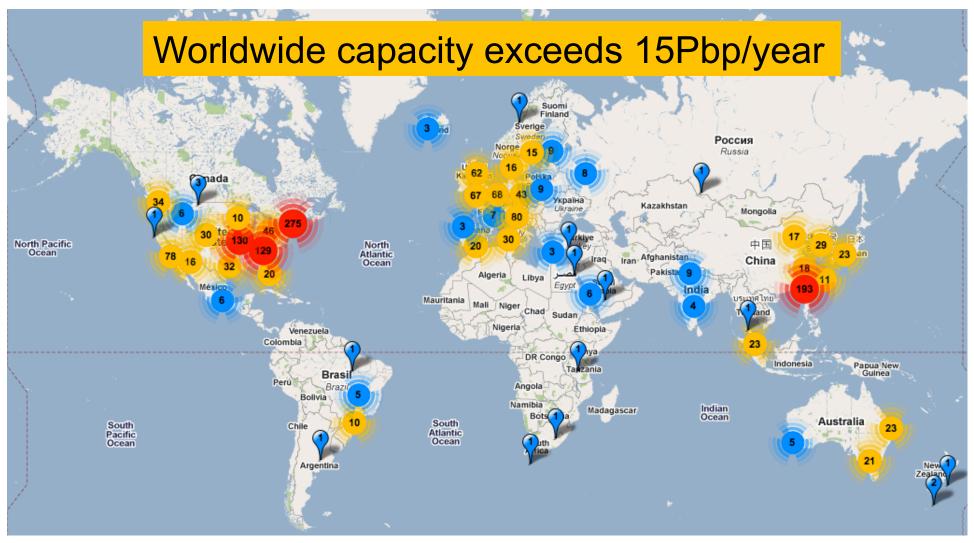
The DNA Data Race

Year	Genome	Technology	Cost
2001	Venter/IHGHC et al.	Sanger (ABI)	\$3,000,000,000
2007	Levy et al.	Sanger (ABI)	\$10,000,000
2008	Wheeler et al.	Roche (454)	\$2,000,000
2008	Ley et al.	Illumina	\$1,000,000
2008	Bentley et al.	Illumina	\$250,000
2009	Pushkarev et al.	Helicos	\$48,000
2009	Drmanac et al.	Complete Genomics	\$4,400
2013		Illumina/Complete/Ion Torrent	~\$1,000

Sequencing a single human genome uses ~100 GB of compressed sequence data in billions of short reads. ~20 DVDs / genome



Sequencing Centers



Next Generation Genomics: World Map of High-throughput Sequencers http://pathogenomics.bham.ac.uk/hts/

Unsolved Questions in Biology

There is tremendous interest to sequence:

- What is your genome sequence?
- How does your genome compare to my genome?
- Where are the genes and how active are they?
- How does gene activity change during development?
- How does splicing change during development?
- How does methylation change during development?
- How does chromatin change during development?
- How does is your genome folded in the cell?
- Where do proteins bind and regulate genes?
- What virus and microbes are living inside you?
- How do your mutations relate to disease?

Answering these questions requires

specialized software & quantitative analysis



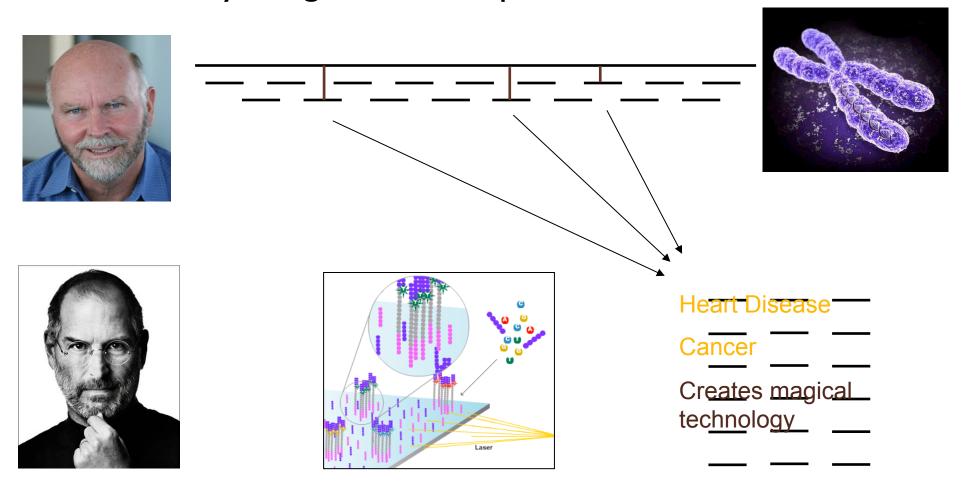
Outline

- I. Rise of DNA Sequencing
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- 3. Understanding Bowtie
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Personal Genomics

How does your genome compare to the reference?



- Where is GATTACA in the human genome?
- Strategy I: Brute Force

1	2	3	4	5	6	7	8	9	10	Ш	12	13	14	15	•••
Т	G	Α	Т	Т	Α	С	Α	G	Α	Т	Т	Α	С	С	•••
G	Α	Т	Т	Α	С	Α									

No match at offset I

- Where is GATTACA in the human genome?
- Strategy I: Brute Force

1	2	3	4	5	6	7	8	9	10	Ш	12	13	14	15	•••
Т	G	Α	Т	Т	Α	С	Α	G	Α	Т	Т	Α	С	С	•••
	G	Α	Т	Т	Α	С	Α								

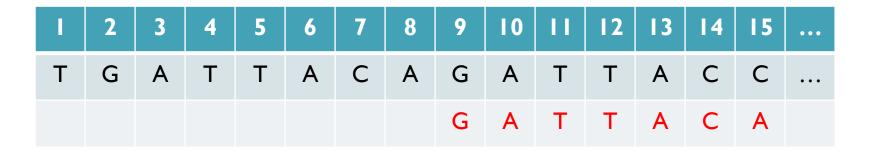
Match at offset 2

- Where is GATTACA in the human genome?
- Strategy I: Brute Force

I	2	3	4	5	6	7	8	9	10	Ш	12	13	14	15	•••
Т	G	Α	Т	Т	Α	С	Α	G	Α	Т	Т	Α	С	С	•••
		G	Α	Т	Т	Α	С	Α	•••						

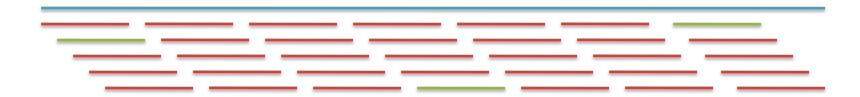
No match at offset 3...

- Where is GATTACA in the human genome?
- Strategy I: Brute Force



No match at offset 9 <- Checking each possible position takes time

Brute Force Analysis



- Brute Force:
 - At every possible offset in the genome:
 - Do all of the characters of the query match?
- Analysis
 - Simple, easy to understand

Genome length = n	[3B]
— Query length = m	[7]
Comparisons: (n-m+1) * m	[21B]

Overall runtime: O(nm)

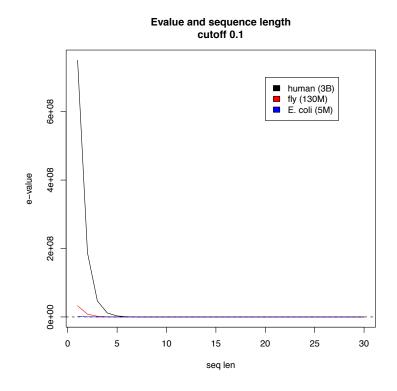
[How long would it take if we double the genome size, read length?] [How long would it take if we double both?]

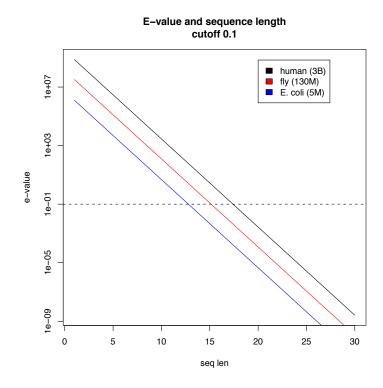
Expected Occurrences

The expected number of occurrences (e-value) of a given sequence in a genome depends on the length of the genome and inversely on the length of the sequence

- I in 4 bases are G, I in 16 positions are GA, I in 64 positions are GAT, ...
- I in 16,384 should be GATTACA
- E=n/(4^m)

[183,105 expected occurrences] [How long do the reads need to be for a significant match?]





Brute Force Reflections

Why check every position?

GATTACA can't possibly start at position 15

[WHY?]

1	2	3	4	5	6	7	8	9	10	Ш	12	13	14	15	•••
Т	G	Α	Т	Т	Α	С	Α	G	Α	Т	Т	Α	С	С	•••
								G	Α	Т	Т	Α	С	Α	

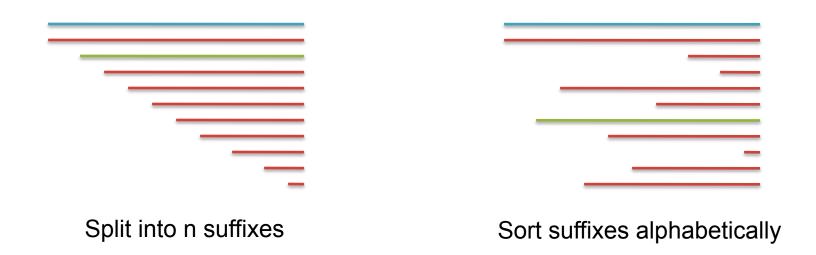
Improve runtime to O(n + m)

[3B + 7]

- If we double both, it just takes twice as long
- Knuth-Morris-Pratt, 1977
- Boyer-Moyer, 1977, 1991
- For one-off scans, this is the best we can do (optimal performance)
 - We have to read every character of the genome, and every character of the query
 - For short queries, runtime is dominated by the length of the genome

Suffix Arrays: Searching the Phone Book

- What if we need to check many queries?
 - We don't need to check every page of the phone book to find 'Schatz'
 - Sorting alphabetically lets us immediately skip 96% (25/26) of the book without any loss in accuracy
- Sorting the genome: Suffix Array (Manber & Myers, 1991)
 - Sort every suffix of the genome



[Challenge Question: How else could we split the genome?]

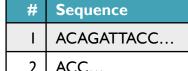
- Strategy 2: Binary search
 - Compare to the middle, refine as higher or lower
- Searching for GATTACA
 - Lo = I; Hi = I5;



#	Sequence	Pos
_	ACAGATTACC	6
2	ACC	13
3	AGATTACC	8
4	ATTACAGATTACC	3
5	ATTACC	10
6	C	15
7	CAGATTACC	7
8	CC	14
9	GATTACAGATTACC	2
10	GATTACC	9
П	TACAGATTACC	5
12	TACC	12
13	TGATTACAGATTACC	I
14	TTACAGATTACC	4
15	TTACC	П

Hi

- Strategy 2: Binary search
 - Compare to the middle, refine as higher or lower
- Searching for GATTACA
 - Lo = 1; Hi = 15; Mid = (1+15)/2 = 8
 - Middle = Suffix[8] = CC



_	ACAGATTACC	6
2	ACC	13
3	AGATTACC	8
4	ATTACAGATTACC	3
5	ATTACC	10
6	C	15
7	CAGATTACC	7
8	CC	14
9	GATTACAGATTACC	2
10	GATTACC	9
Ш	TACAGATTACC	5
12	TACC	12
13	TGATTACAGATTACC	I
14	TTACAGATTACC	4
15	TTACC	П

Pos

Ηi

Lo

- Strategy 2: Binary search
 - Compare to the middle, refine as higher or lower
- Searching for GATTACA
 - Lo = 1; Hi = 15; Mid = (1+15)/2 = 8
 - Middle = Suffix[8] = CC=> Higher: Lo = Mid + I



#	Sequence	Pos
I	ACAGATTACC	6
2	ACC	13
3	AGATTACC	8
4	ATTACAGATTACC	3
5	ATTACC	10
6	C	15
7	CAGATTACC	7
8	CC	14
9	GATTACAGATTACC	2
10	GATTACC	9
П	TACAGATTACC	5
12	TACC	12
13	TGATTACAGATTACC	I
14	TTACAGATTACC	4
15	TTACC	Ш

Ηį

Lo

- Strategy 2: Binary search
 - Compare to the middle, refine as higher or lower
- Searching for GATTACA
 - Lo = I; Hi = I5; Mid = (I+I5)/2 = 8
 - Middle = Suffix[8] = CC=> Higher: Lo = Mid + I
 - Lo = 9; Hi = 15;

#	Sequence	Pos
I	ACAGATTACC	6
2	ACC	13
3	AGATTACC	8
4	ATTACAGATTACC	3
5	ATTACC	10
6	C	15
7	CAGATTACC	7
8	CC	14
9	GATTACAGATTACC	2
10	GATTACC	9
П	TACAGATTACC	5
12	TACC	12
13	TGATTACAGATTACC	I
14	TTACAGATTACC	4
15	TTACC	Ш

Lo

Ηį

- Strategy 2: Binary search
 - Compare to the middle, refine as higher or lower
- Searching for GATTACA
 - Lo = I; Hi = I5; Mid = (I+I5)/2 = 8
 - Middle = Suffix[8] = CC=> Higher: Lo = Mid + I
 - Lo = 9; Hi = 15; Mid = (9+15)/2 = 12
 - Middle = Suffix[12] = TACC

#	Sequence	Pos
I	ACAGATTACC	6
2	ACC	13
3	AGATTACC	8
4	ATTACAGATTACC	3
5	ATTACC	10
6	C	15
7	CAGATTACC	7
8	CC	14
9	GATTACAGATTACC	2
10	GATTACC	9
П	TACAGATTACC	5
12	TACC	12
13	TGATTACAGATTACC	I
14	TTACAGATTACC	4

Ηį

Lo

- Strategy 2: Binary search
 - Compare to the middle, refine as higher or lower
- Searching for GATTACA
 - Lo = I; Hi = 15; Mid = (1+15)/2 = 8
 - Middle = Suffix[8] = CC=> Higher: Lo = Mid + I
 - Lo = 9; Hi = 15; Mid = (9+15)/2 = 12
 - Middle = Suffix[12] = TACC=> Lower: Hi = Mid I
 - Lo = 9; Hi = 11;

I	ACAGATTACC	6
2	ACC	13
3	AGATTACC	8
4	ATTACAGATTACC	3
5	ATTACC	10
6	C	15
7	CAGATTACC	7
8	CC	14
9	GATTACAGATTACC	2
10	GATTACC	9
10		
	GATTACC	9
11	GATTACC TACAGATTACC	9
11	GATTACC TACAGATTACC TACC	9 5 12

П

TTACC...





- Strategy 2: Binary search
 - Compare to the middle, refine as higher or lower
- Searching for GATTACA
 - Lo = I; Hi = 15; Mid = (1+15)/2 = 8
 - Middle = Suffix[8] = CC=> Higher: Lo = Mid + I
 - Lo = 9; Hi = 15; Mid = (9+15)/2 = 12
 - Middle = Suffix[12] = TACC=> Lower: Hi = Mid I
 - Lo = 9; Hi = 11; Mid = (9+11)/2 = 10
 - Middle = Suffix[10] = GATTACC

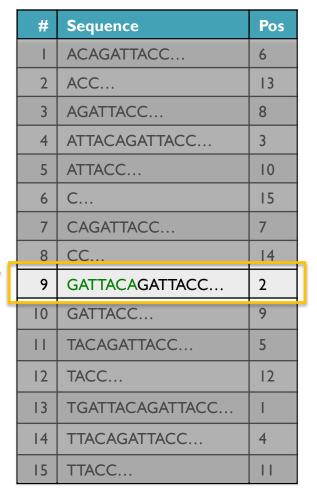
#	Sequence	Pos
I	ACAGATTACC	6
2	ACC	13
3	AGATTACC	8
4	ATTACAGATTACC	3
5	ATTACC	10
6	C	15
7	CAGATTACC	7
8	CC	14
9	GATTACAGATTACC	2
9	GATTACAGATTACC	2
9	GATTACAGATTACC GATTACC	9
9 10	GATTACAGATTACC GATTACC TACAGATTACC	9 5
9 10 11	GATTACAGATTACC GATTACC TACAGATTACC TACC	2 9 5

- Strategy 2: Binary search
 - Compare to the middle, refine as higher or lower
- Searching for GATTACA
 - Lo = I; Hi = 15; Mid = (1+15)/2 = 8
 - Middle = Suffix[8] = CC=> Higher: Lo = Mid + I
 - Lo = 9; Hi = 15; Mid = (9+15)/2 = 12
 - Middle = Suffix[12] = TACC=> Lower: Hi = Mid I
 - Lo = 9; Hi = 11; Mid = (9+11)/2 = 10
 - Middle = Suffix[10] = GATTACC=> Lower: Hi = Mid I
 - Lo = 9; Hi = 9;



#	Sequence	Pos
Ι	ACAGATTACC	6
2	ACC	13
3	AGATTACC	8
4	ATTACAGATTACC	3
5	ATTACC	10
6	C	15
7	CAGATTACC	7
8	CC	14
9	GATTACAGATTACC	2
10	GATTACC	9
11	TACAGATTACC	5
12	TACC	12
13	TGATTACAGATTACC	1
14	TTACAGATTACC	4
15	TTACC	П

- Strategy 2: Binary search
 - Compare to the middle, refine as higher or lower
- Searching for GATTACA
 - Lo = I; Hi = 15; Mid = (1+15)/2 = 8
 - Middle = Suffix[8] = CC
 => Higher: Lo = Mid + I
 - Lo = 9; Hi = 15; Mid = (9+15)/2 = 12
 - Middle = Suffix[12] = TACC=> Lower: Hi = Mid I
 - Lo = 9; Hi = 11; Mid = (9+11)/2 = 10
 - Middle = Suffix[10] = GATTACC=> Lower: Hi = Mid I
 - Lo = 9; Hi = 9; Mid = (9+9)/2 = 9
 - Middle = Suffix[9] = GATTACA...=> Match at position 2!





Binary Search Analysis

Binary Search

```
Initialize search range to entire list

mid = (hi+lo)/2; middle = suffix[mid]

if query matches middle: done

else if query < middle: pick low range

else if query > middle: pick hi range

Repeat until done or empty range
```

[WHEN?]

- Analysis
 - More complicated method
 - How many times do we repeat?
 - How many times can it cut the range in half?
 - Find smallest x such that: $n/(2^x) \le I$; $x = \lg_2(n)$

[32]

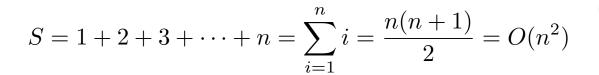
- Total Runtime: O(m lg n)
 - More complicated, but much faster!
 - Looking up a query loops 32 times instead of 3B

[How long does it take to search 6B or 24B nucleotides?]



Suffix Array Construction

How can we store the suffix array?
 [How many characters are in all suffixes combined?]



- Hopeless to explicitly store 4.5 billion billion characters
- Instead use implicit representation
 - Keep I copy of the genome, and a list of sorted offsets
 - Storing 3 billion offsets fits on a server (12GB)
- Searching the array is very fast, but it takes time to construct
 - This time will be amortized over many, many searches
 - Run it once "overnight" and save it away for all future queries



13

3

10

15

7

2

9

5

12

4

П



Sorting

Quickly sort these numbers into ascending order: 14, 29, 6, 31, 39, 64, 78, 50, 13, 63, 61, 19

[How do you do it?]

```
6, 14, 29, 31, 39, 64, 78, 50, 13, 63, 61, 19
6, 13, 14, 29, 31, 39, 64, 78, 50, 63, 61
6, 13, 14, 19, 29, 31, 39, 64, 78, 50, 63, 61
6, 13, 14, 19, 29, 31, 39, 64, 78, 50, 63, 61
6, 13, 14, 19, 29, 31, 39, 50, 64, 78, 63, 61
6, 13, 14, 19, 29, 31, 39, 50, 61, 64, 78, 63
6, 13, 14, 19, 29, 31, 39, 50, 61, 63, 64, 78
6, 13, 14, 19, 29, 31, 39, 50, 61, 63, 64, 78
6, 13, 14, 19, 29, 31, 39, 50, 61, 63, 64, 78
6, 13, 14, 19, 29, 31, 39, 50, 61, 63, 64, 78
6, 13, 14, 19, 29, 31, 39, 50, 61, 63, 64, 78
6, 13, 14, 19, 29, 31, 39, 50, 61, 63, 64, 78
6, 13, 14, 19, 29, 31, 39, 50, 61, 63, 64, 78
6, 13, 14, 19, 29, 31, 39, 50, 61, 63, 64, 78
```

http://en.wikipedia.org/wiki/Selection sort

Selection Sort Analysis

Selection Sort (Input: list of n numbers)
 for pos = I to n
 // find the smallest element in [pos, n]
 smallest = pos
 for check = pos+I to n
 if (list[check] < list[smallest]): smallest = check
 // move the smallest element to the front
 tmp = list[smallest]
 list[pos] = list[smallest]
 list[smallest] = tmp

Analysis

$$T = n + (n-1) + (n-2) + \dots + 3 + 2 + 1 = \sum_{i=1}^{n} i = \frac{n(n+1)}{2} = O(n^2)$$

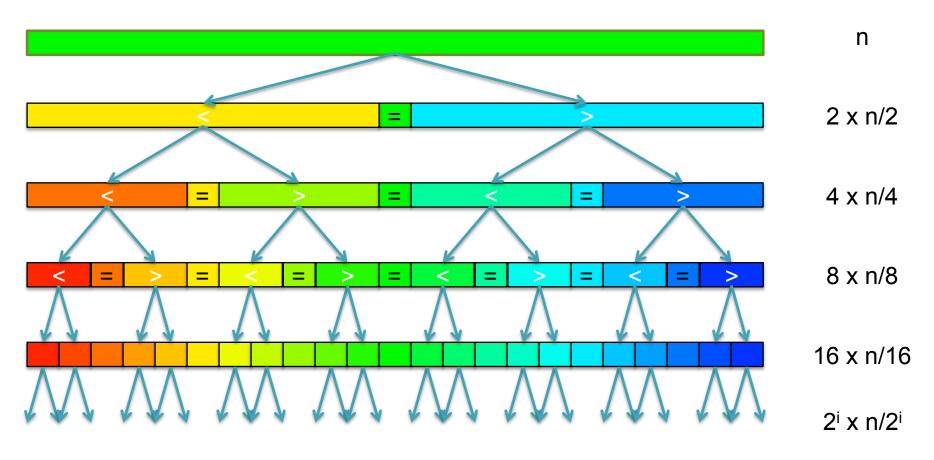
- Outer loop: pos = I to n
- Inner loop: check = pos to n
- Running time: Outer * Inner = $O(n^2)$

[4.5 Billion Billion]

[Challenge Questions: Why is this slow? / Can we sort any faster?]

Divide and Conquer

- Selection sort is slow because it rescans the entire list for each element
 - How can we split up the unsorted list into independent ranges?
 - Hint I: Binary search splits up the problem into 2 independent ranges (hi/lo)
 - Hint 2: Assume we know the median value of a list



[How many times can we split a list in half?]

QuickSort Analysis

QuickSort(Input: list of n numbers)
 // see if we can quit
 if (length(list)) <= I): return list

 // split list into lo & hi
 pivot = median(list)
 lo = {}; hi = {};
 for (i = I to length(list))

else:

http://en.wikipedia.org/wiki/Quicksort

// recurse on sublists
return (append(QuickSort(lo), QuickSort(hi))

append(hi, list[i])

if (list[i] < pivot): append(lo, list[i])</pre>

Analysis (Assume we can find the median in O(n))

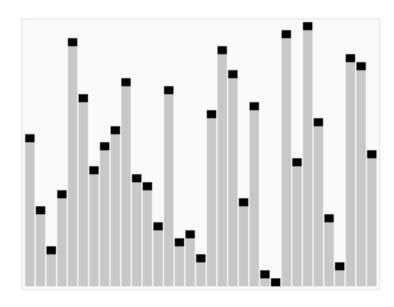
$$T(n) = \begin{cases} O(1) & \text{if } n \le 1\\ O(n) + 2T(n/2) & \text{else} \end{cases}$$

$$T(n) = n + 2(\frac{n}{2}) + 4(\frac{n}{4}) + \dots + n(\frac{n}{n}) = \sum_{i=0}^{lg(n)} \frac{2^{i}n}{2^{i}} = \sum_{i=0}^{lg(n)} n = O(n \lg n) \quad \text{[~94B]}$$

QuickSort Analysis

QuickSort(Input: list of n numbers)
 // see if we can quit
 if (length(list)) <= 1): return list

```
// split list into lo & hi
pivot = median(list)
lo = {}; hi = {};
for (i = I to length(list))
    if (list[i] < pivot): append(lo, list[i])
    else: append(hi, list[i])</pre>
```



http://en.wikipedia.org/wiki/Quicksort

// recurse on sublists
return (append(QuickSort(lo), QuickSort(hi))

Analysis (Assume we can find the median in O(n))

$$T(n) = \begin{cases} O(1) & \text{if } n \le 1\\ O(n) + 2T(n/2) & \text{else} \end{cases}$$

$$T(n) = n + 2(\frac{n}{2}) + 4(\frac{n}{4}) + \dots + n(\frac{n}{n}) = \sum_{i=0}^{\lg(n)} \frac{2^i n}{2^i} = \sum_{i=0}^{\lg(n)} n = O(n \lg n) \quad \text{[~94B]}$$



THE G-NOME PROJECT

2 minute break



Outline

- I. Rise of DNA Sequencing
- 2. Sequence Alignment Basics

- 3. Understanding Bowtie
- 4. Genetics of Autism





Fast gapped-read alignment with Bowtie 2

Ben Langmead and Steven Salzberg (2012) Nature Methods. 9, 357–359

In-exact alignment

- Where is GATTACA approximately in the human genome?
 - And how do we efficiently find them?
- It depends...
 - Define 'approximately'
 - Hamming Distance, Edit distance, or Sequence Similarity
 - Ungapped vs Gapped vs Affine Gaps
 - Global vs Local
 - All positions or the single 'best'?
 - Efficiency depends on the data characteristics & goals
 - Smith-Waterman: Exhaustive search for optimal alignments
 - BLAST: Hash-table based homology searches
 - Bowtie: BWT alignment for short read mapping

• Where is GATTACA approximately in the human genome?

1	2	3	4	5	6	7	8	9	10	Ш	12	13	14	15	•••
Т	G	Α	Т	Т	Α	С	Α	G	Α	Т	Т	Α	С	С	•••
G	A	Т	Т	Α	С	Α									

Match Score: 1/7

• Where is GATTACA approximately in the human genome?

1	2	3	4	5	6	7	8	9	10	П	12	13	14	15	•••
Т	G	Α	Т	Т	Α	С	Α	G	Α	Т	Т	Α	С	С	• • •
	G	Α	Т	Т	Α	С	Α								

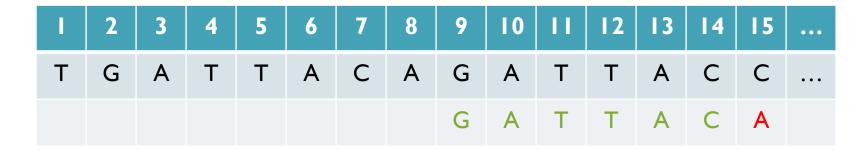
Match Score: 7/7

• Where is GATTACA approximately in the human genome?

1	2	3	4	5	6	7	8	9	10	Ш	12	13	14	15	•••
Т	G	Α	Т	Т	Α	С	Α	G	Α	Т	Т	Α	С	С	•••
		G	Α	Т	Т	Α	С	Α	•••						

Match Score: 1/7

Where is GATTACA approximately in the human genome?



Match Score: 6/7 <- We may be very interested in these imperfect matches Especially if there are no perfect end-to-end matches

Similarity metrics

Hamming distance

Count the number of substitutions to transform one string into another

GATTACA	ATTACCC
	xx xx x
GATCACA	GATTACA
1	5

• Edit distance

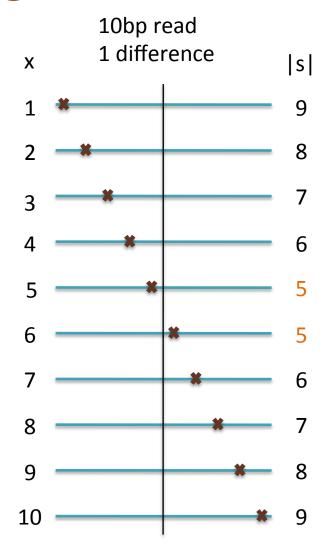
 The minimum number of substitutions, insertions, or deletions to transform one string into another

GATTACA	-ATTACCC
	x xx
GATCACA	GATTAC-A
1	3

Seed-and-Extend Alignment

Theorem: An alignment of a sequence of length m with at most k differences must contain an exact match at least s=m/(k+1) bp long (Baeza-Yates and Perleberg, 1996)

- Proof: Pigeonhole principle
 - I pigeon can't fill 2 holes
- Seed-and-extend search
 - Use an index to rapidly find short exact alignments to seed longer in-exact alignments
 - BLAST, MUMmer, Bowtie, BWA, SOAP, ...
 - Specificity of the depends on seed length
 - Guaranteed sensitivity for k differences
 - Also finds some (but not all) lower quality alignments <- heuristic



Algorithm Overview

1. Split read into segments

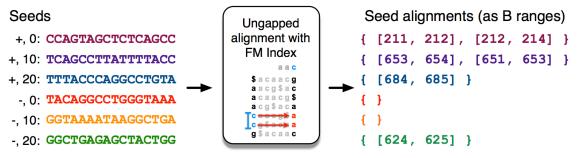
Read Read (reverse complement)

CCAGTAGCTCTCAGCCTTATTTTACCCAGGCCTGTA TACAGGCCTGGGTAAAATAAGGCTGAGAGCTACTGG

Policy: extract 16 nt seed every 10 nt

Seeds
+, 0: CCAGTAGCTCTCAGCC -, 0: TACAGGCCTGGGTAAA
+, 10: TCAGCCTTATTTTACC -, 10: GGTAAAATAAGGCTGA
+, 20: TTTACCCAGGCCTGTA -, 20: GGCTGAGAGCTACTGG

2. Lookup each segment and prioritize



3. Evaluate end-to-end match

```
SAM alignments
Extension candidates
                           SIMD dynamic
                           programming
                                                    chr12
                                                             1936
SA:684, chr12:1955
                              aligner
SA:624, chr2:462
                                                CCAGTAGCTCTCAGCCTTATTTTACCCAGGCCTGTA
SA:211: chr4:762
                                                AS:i:0
                                                                  XG: i:0
                                                XM:i:0
SA:213: chr12:1935
SA:652: chr12:1945
                                                YM:i:0
```



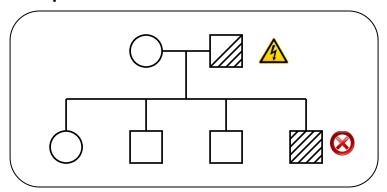
Outline

- I. Rise of DNA Sequencing
- 2. Sequence Alignment Basics

- 3. Understanding Bowtie
- 4. Genetics of Autism

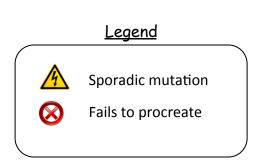
Unified Model of Autism

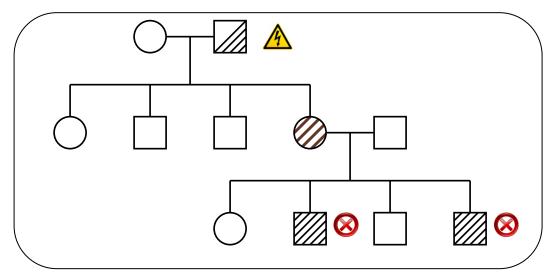
Sporadic Autism: 1 in 100



Prediction: De novo mutations of high penetrance contributes to autism, especially in low risk families with no history of autism.

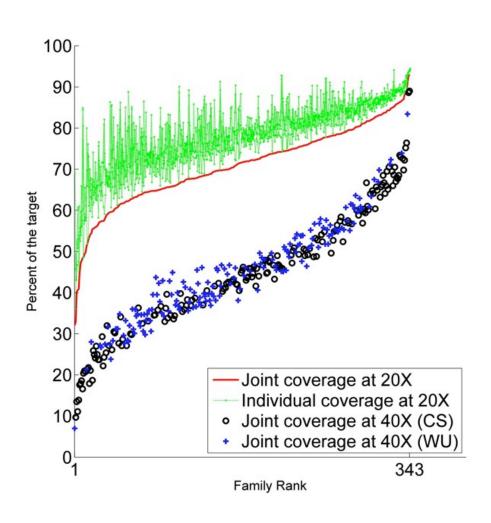
Familial Autism: 90% concordance in twins





A unified genetic theory for sporadic and inherited autism Zhao et al. (2007) PNAS. 104(31)12831-12836.

Exome-Capture and Sequencing



Sequencing of 343 families from the Simons Simplex Collection

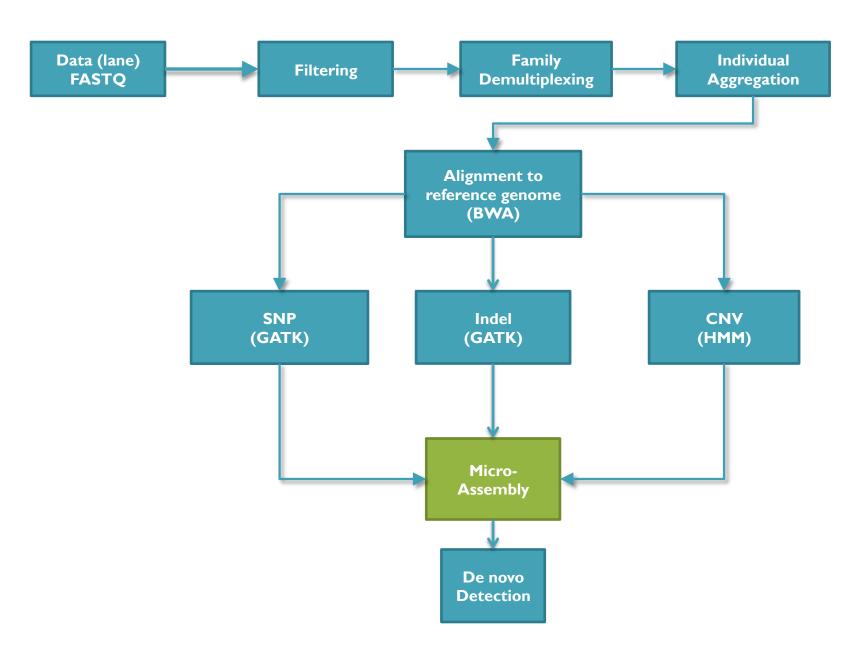
- Parents plus one child with autism and one non-autistic sibling
- Enriched for higher-functioning individuals

Families prepared and captured together to minimize batch effects

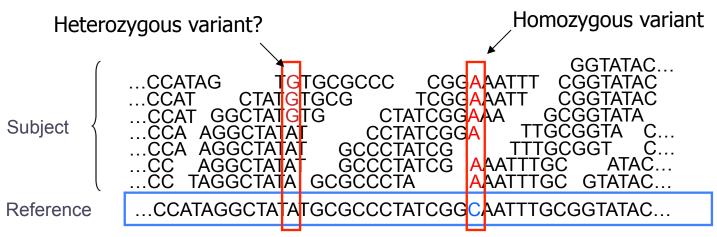
- Exome-capture performed with NimbleGen SeqCap EZ Exome v2.0 targeting 36 Mb of the genome.
- ~80% of the target at >20x coverage with ~93bp reads

De novo gene disruptions in children on the autism spectrum lossifov et al. (2012) Neuron. 74:2 285-299

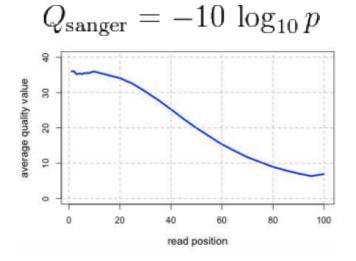
Exome Sequencing Pipeline



Genotyping



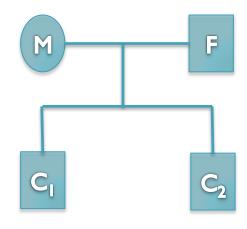
- Sequencing instruments make mistakes
 - Quality of read decreases over the read length
- A single read differing from the reference is probably just an error, but it becomes more likely to be real as we see it multiple times
 - Often framed as a Bayesian problem of more likely to be a real variant or chance occurrence of N errors
 - Accuracy improves with deeper coverage



De novo mutation discovery and validation

Concept: Identify mutations not present in parents.

Challenge: Sequencing errors in the child or low coverage in parents lead to false positive de novos



```
Father: ...TCAGAACAGCTGGATGAGATCTTAGCCAACTACCAGGAGATTGTCTTTGCCCGGA...

Mother: ...TCAGAACAGCTGGATGAGATCTTAGCCAACTACCAGGAGATTGTCTTTGCCCGGA...

Sib: ...TCAGAACAGCTGGATGAGATCTTAGCCAACTACCAGGAGATTGTCTTTGCCCGGA...

Aut(1): ...TCAGAACAGCTGGATGAGATCTTAGCCAACTACCAGGAGATTGTCTTTGCCCGGA...

Aut(2): ...TCAGAACAGCTGGATGAGATCTTAGCCAACTACCAGGAGATTGTCTTTGCCCGGA...
```

6bp heterozygous deletion at chr13:25280526 ATP12A

De novo Genetics of Autism

- In 343 family quads so far, we see significant enrichment in de novo *likely gene killers* in the autistic kids
 - Overall rate basically 1:1 (432:396)
 - 2:1 enrichment in nonsense mutations
 - 2:1 enrichment in frameshift indels
 - 4:1 enrichment in splice-site mutations
 - Most de novo originate in the paternal line in an age-dependent manner (56:18 of the mutations that we could determine)
- Observe strong overlap with the 842 genes known to be associated with fragile X protein FMPR
 - Related to neuron development and synaptic plasticity

De novo gene disruptions in children on the autism spectrum lossifov et al. (2012) Neuron. 74:2 285-299

Computational Biology

Computer Science = Science of Computation

- Solving problems, designing & building systems
- Computers are very, very dumb, but we can instruct them
 - Build complex systems out of simple components
 - They will perfectly execute instructions forever

CompBio = Thinking Computationally about Biology

- Processing: Make more powerful instruments, analyze results
- Designing & Understanding: protocols, procedures, systems

"Think Harder & Compute Less"

Dan Gusfield



Challenges of Modern Science



The foundations of science will continue to be observation, experimentation, and interpretation

- Technology will continue to push the frontier
- Measurements will be made digitally over large populations, at extremely high resolution, and for diverse applications

Rise in Quantitative and Computational Demands

- 1. Experimental design: selection, collection & metadata
- 2. Observation: measurement, storage, transfer, computation
- 3. Integration: multiple samples, assays, analyses
- 4. Discovery: visualizing, interpreting, modeling

Ultimately limited by the human capacity to execute extremely complex experiments and interpret results

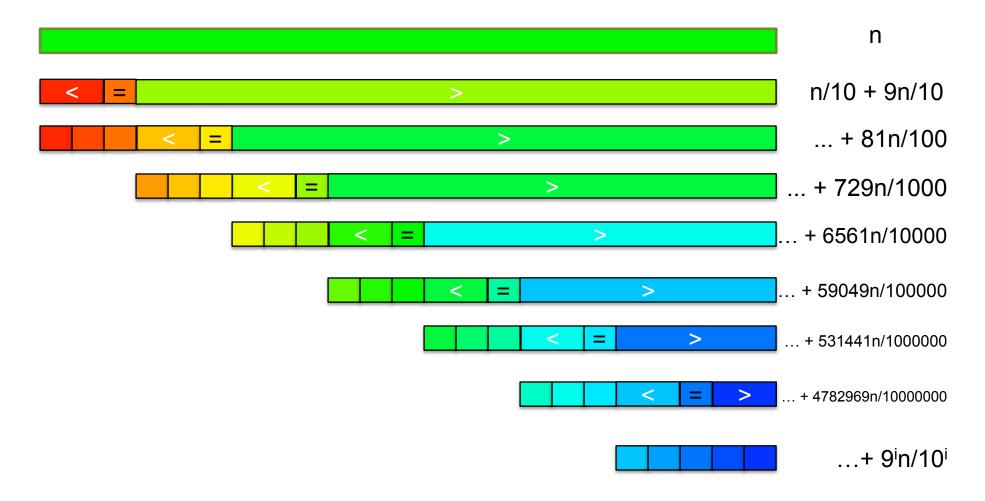
Questions?

http://schatzlab.cshl.edu @mike_schatz



Picking the Median

• What if we miss the median and do a 90/10 split instead?



[How many times can we cut 10% off a list?]

Randomized Quicksort

90/10 split runtime analysis

Find smallest x s.t.

$$T(n) = n + T(\frac{n}{10}) + T(\frac{9n}{10})$$

$$T(n) = n + \frac{n}{10} + T(\frac{n}{100}) + T(\frac{9n}{100}) + \frac{9n}{10} + T(\frac{9n}{100}) + T(\frac{81n}{100})$$

$$T(n) = n + n + T(\frac{n}{100}) + 2T(\frac{9n}{100}) + T(\frac{81n}{100})$$

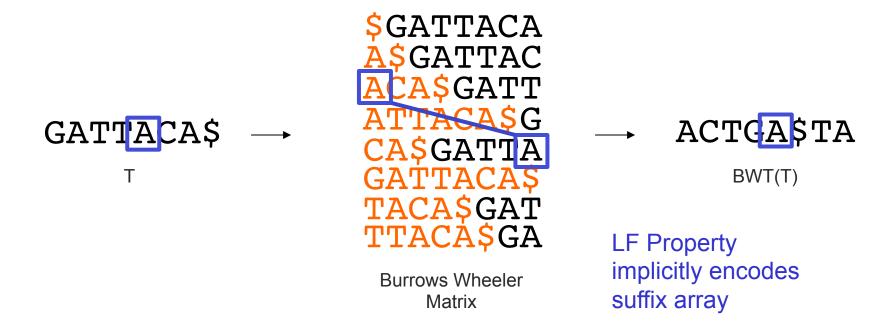
$$x \ge \log_{10/9} n$$

$$T(n) = \sum_{i=0}^{\log_{10/9}(n)} n = O(n \lg n)$$

- If we randomly pick a pivot, we will get at least a 90/10 split with very high probability
 - Everything is okay as long as we always slice off a fraction of the list

[Challenge Question: What happens if we slice I element]

Burrows-Wheeler Transform



- Suffix Array is tight, but much larger than genome
 - BWT is a reversible permutation of the genome based on the suffix array
 - Core index for Bowtie (Langmead et al., 2009) and most recent short read mapping applications